- 1. For the experiment of drawing numbers uniformly between (45, 95).
 - (a) What is the probability that you obtain the number 50?
 - (b) What is the probability you obtain a number between (50, 70)?
 - (c) What is the probability you obtain a number between (50, 52)?
- 2. Using R, "verify" your answer to each of the three questions. Choose whatever n you need to choose and increase the n if you feel it's necessary.

3. Using R and crude Riemann integration, obtain an approximation of the integral:

$$\int_0^1 \sin(50x) \log(x^2 + 10) dx \,.$$

- 1. Can you think of exactly how the computer is truly giving completely uniform draws between (0, 1)? Consider the following:
 - (a) Choose a constant x_0 (any number you want), and large positive numbers a and m
 - (b) In a loop, calculate $x_n = ax_{n1} \mod m$ for n = 1000.
 - (c) Store the sequence x_i/m for all $i = 1, \ldots, m$.

Can you explain what is happening here? Below is the code that implements this and shows some plots. Change $a \ a \ m$ and try and explain what is happening in the above steps.

```
m <- 2^(31) - 1
a <- 7^5
x <- numeric(length = 1e3)
x[1] <- 7 # indexing starts from 1
for(i in 2:(1e3+1))
{
    x[i] <- (a * x[i-1]) %% m
}
# For side-by-side plot
par(mfrow = c(1,2))
hist(x/m) # looks close to uniformly distributed
```